

PDT1-de anticipatie

$$H(S) = \frac{K(T_D S + 1)}{T_i S + 1}$$

$T_D > T_i$ – *conditie de anticipatie*

PDT1-de intarziere

$$H(S) = \frac{K(T_D S + 1)}{T_i S + 1}$$

$T_D < T_i$ – *conditie de intarziere*

PD2T2-de anticipatie intarziere cu bucla simetrica

$$H(S) = \frac{S^2 + (a_1 + b_2)S + a_1 b_2}{S^2 + (a_2 + b_1)S + a_2 b_1}$$

sau

$$H(S) = \frac{K(T_{D_2} S^2 + T_{D_1} S + 1)}{T_{i_2} S^2 + T_{i_1} S + 1}$$

$$a_1 b_2 = a_2 b_1$$

$$(a_1 + b_2) > (a_2 + b_1)$$

PD2T2-de intarziere anticipatie cu bucla simetrica

$$H(S) = \frac{S^2 + (a_1 + b_2)S + a_1 b_2}{S^2 + (a_2 + b_1)S + a_2 b_1}$$

$$a_1 b_2 = a_2 b_1$$

$$(a_1 + b_2) < (a_2 + b_1)$$

arii egale la caracteristica Nyquist

PD2T2- de anticipatie intarziere cu bucla nesimetrica

$$H(S) = \frac{S^2 + (a_1 + b_2)S + a_1b_2}{S^2 + (a_2 + b_1)S + a_2b_1}$$

$$a_1b_2 = a_2b_1$$

$$(a_1 + b_2) > (a_2 + b_1)$$

$$a > b$$

bucla nesimetrica preponderent

anticipativa

PD2T2- de anticipatie intarziere cu bucla nesimetrica preponderent derivativa

$$H(S) = \frac{S^2 + (a_1 + b_2)S + a_1b_2}{S^2 + (a_2 + b_1)S + a_2b_1}$$

$$a_1b_2 = a_2b_1$$

$$(a_1 + b_2) > (a_2 + b_1)$$

$$a < b$$

bucla nesimetrica preponderent

derivativa

$$H(S) = \left(1 + T_D S + \frac{1}{T_i S} \right) K$$

$$T_D T_i S^2 + T_i S + 1 = 0$$

$$Z_{1,2} = \frac{-T_i \pm \sqrt{T_i^2 - 4T_{di}}}{2T_d T_i}$$

$$\frac{1}{T_{d1}} = \frac{T_i}{2T_d T_i} = \frac{1}{2T_d}$$

$4T_d > T_i$ – conditia pentru a exista

zerouri conjugate

PID-proportional integral derivative

Se folosesc in corectarea
comportarii dinamice a
elementelor si sistemelor
(regulatoare PID)
Se regleaza $K_i T_i$ si T_d

PIDT1- inertie de ordin 1

$$H(S) = K \left(1 + T_d S + \frac{1}{T_i S} \right) \frac{1}{T_{i_1} S + 1}$$

PIDT2- inertie de ordin 2

$$H(S) = K \left(1 + T_d S + \frac{1}{T_i S} \right) \frac{1}{T_{i_2} S^2 + T_{i_1} S + 1}$$